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List of publications

The results presented in this dissertation can be found in the following publications:

- L. Avena, H. Güldaş, R. van der Hofstad, F. den Hollander, and O. Nagy. Linking the mixing times of random walks on static and dynamic random graphs. *Stoch. Proc. Appl.*, 153:145–182, 2022
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This list is up-to-date as of October 7, 2024.