

Beyond perfusion: measuring water transport across brain barriers with arterial spin labeling MRI

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Arterial Spin Labeling Signal in the CSF: Implications for Partial Volume Correction and Blood-CSF Barrier Characterization

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4.0 ABSTRACT

For better quantification of perfusion with ASL, partial volume correction (PVC) is used to disentangle the signals from gray matter (GM) and white matter (WM) within any voxel. Based on physiological considerations, PVC algorithms typically assume zero signal in the CSF. Recent measurements, however, have shown that CSF-ASL signal can exceed 10% of GM signal, even when using recommended ASL labeling parameters. CSF signal is expected to particularly affect PVC results in the choroid plexus (CP). This study aims to measure the impact of CSF signal on PVC perfusion measurements, and to investigate the potential use of PVC to retrieve pure CSF-ASL signal for blood-CSF barrier characterization.

In vivo imaging included six pCASL sequences with variable label duration and post-labeling delay, and an 8-echo 3D-GRASE readout. A dataset was simulated to estimate the effect of CSF-PVC with known ground-truth parameters. Differences between the results of CSF-PVC and non-CSF-PVCwere estimated for ROIs based on GM probability, and a separate ROI isolating the CP. In vivo, the suitability of PVC-CSF signal as an estimate of pure CSF was investigated by comparing its time-course to long-TE CSF signal.

Results from both simulation and in vivo data indicated that including the CSF signal in PVC improves quantification of GM CBF by approximately 10%. In simulated data, this improvement was greater for multi-PLD (model fitting) quantification than for single-PLD (~1-5% difference). In the CP, the difference between CSF-PVC and non-CSF-PVC was much larger, averaging around 30%. Long-TE (pure) CSF signal could not be estimated from PVC CSF signal as it followed a different time-course, indicating the presence of residual macrovascular signal in the PVC. The inclusion of CSF adds value to PVC for more accurate measurements of GM perfusion, and, especially, for quantification of perfusion in the CP and study of the glymphatic system.

Keywords: Arterial Spin Labeling, Neurofluids, Blood-CSF Barrier, Brain Clearance, Partial Volume Correction, Glymphatics

4.1 INTRODUCTION

Arterial Spin Labeling (ASL) is a non-invasive perfusion method which typically uses coarse image resolution to compensate for its inherently low SNR. Consequently, any given voxel in an ASL image contains signal from a number of different tissue contributions, introducing bias to the resulting perfusion measurements in any ASL quantification method. For this reason, Partial Volume Correction (PVC) algorithms have been proposed as a means to extract the pure perfusion parameters for gray and white matter tissue, separately.¹⁷⁹⁻¹⁸¹ In its original form, PVC uses voxel-wise volume fraction estimates for each tissue type as extracted from high resolution anatomical imaging, and, assuming that perfusion is the same for neighbouring voxels, solves a system of linear equations to calculate pure gray matter (GM) and white matter (WM) perfusion, defined as the perfusion value that would be measured if the voxel contained 100% GM or WM. Traditionally, the CSF contribution to the total ASL perfusion signal is assumed to be zero, and only GM and WM perfusion values are extracted. However, we have shown in a recent study that labeled water does in fact exchange into the CSF to create a measurable ASL signal, and that this signal is present throughout the brain, outside of the widely accepted exchange sites in the choroid plexuses.182 With such a broad spatial distribution and an intensity of \sim 10% of the gray matter signal at clinical perfusion ASL parameters, CSF-ASL signal may significantly impact PVC results throughout the brain. In particular, blood perfusion in the choroid plexus itself has become the topic of a number of recent studies,^{169,183-185} owing to its important role in the brain waste clearance system. There are a few reasons that make this structure uniquely relevant to this study: first, it is a small structure bathing in CSF, meaning that partial voluming effects with CSF are bound to be large, and secondly, it is a known site of CSF production and therefore ASL signal in the CSF immediately surrounding it is undoubtedly non-zero. Consequently, additional attention was devoted in the current study to the effect of CSF on partial volume correction in the choroid plexus (CP).

Moreover, the inclusion of CSF contributions into the PVC-model may offer the opportunity to isolate the CSF signal and thus quantify water transport across the blood-CSF barrier (BCSFB) without modifications to existing ASL sequences. This would be especially useful as current CSF-ASL measurements require ultra-long echo times (TE) to isolate the long-T2 CSF signal, making this sequence time-consuming to acquire and infeasible in a clinical setting. Employing a PVC algorithm to retrieve CSF signal without the use of long echo times may not only allow for rapid assessment of the BCSFB in future studies, but this technique could also be applied retrospectively to already acquired data. Such considerations formed the impetus for this study which has two primary aims:

1) to assess the effect of CSF-ASL signal on apparent GM cerebral blood flow (CBF) estimates using PVC algorithms that previously neglected the contribution of CSF

2) to investigate the use of PVC to isolate the CSF-ASL signal as an alternative to ultra-long TE acquisitions.

4.2 METHODS

4.2.1 Simulation of CSF-ASL Data

To test the impact of CSF-ASL signal on pure GM perfusion measurements, a simulated dataset was created as follows: GM and WM CBF were set to 60 and 20 ml/100g/min⁷⁸ respectively. Arterial transit times (ATT) were set to 1.0 and 1.2 $s^{111,182}$ for GM and WM, respectively. The T₁ of blood was set to 1650 ms¹¹⁰, and the labeling efficiency, α , to 0.85. For the purposes of this simulation, the blood-brain partition coefficient, λ , was assumed to be 1, and the equilibrium magnetization of tissue, $M₀$, was set to 1 (as it simply acts as a scaling factor). Pure WM ASL signal was computed for all label durations (LDs) and post-labeling delays (PLDs) of the MRI experiment using the Buxton model⁹⁵, and at all TEs with the T_2 of WM set to 60 ms¹⁴⁵. CSF and GM signals and especially the transport of label into the CSF-compartment were simulated using the 2-compartment exchange model presented in¹⁸², which includes a CSF (T₁ and T₂ of 4300¹⁸⁶ and 1500¹⁴⁹ ms, respectively) and blood+GM compartment (without macrovascular blood, average T_2 of 100 ms^{144,145}). Simulated data were created for 10 different values of the exchange parameter $T_{bl\rightarrow CSF}$ (40-85s, 5s step) centered around the average of 60 s as previously found in healthy volunteers¹⁸². This allows for the estimation of the impact of CSF-ASL signal for a range of conditions from little/slow exchange (long $T_{bl\rightarrow CSF}$) to high/rapid exchange (short $T_{bl\rightarrow CSF}$). To create simulated ASL signal maps, the pure GM, WM, and CSF signals are multiplied by standard tissue probability maps (TPM) from SPM12 (Wellcome Trust Centre for Neuroimaging, UCL, London, UK) for the corresponding tissue/fluid type. These maps were then downsampled to a typical ASL resolution, from 1.5 mm isotropic to $3\times3\times6$ mm³, to create partial volume (PV) maps. Finally, white Gaussian noise with an SNR of 20 (based on the average signal for all echo times and LD/PLDs) was added. All simulations and data analysis were performed in MATLAB R2019b (The Mathworks, Natick, MA).

4.2.2 MRI Acquisition

Thirteen healthy volunteers (11 female, ages 21-67 years, median 28 years) were scanned after providing written informed consent following IRB regulations in accordance with the Declaration of Helsinki. All scans were performed on a Philips Achieva XT 3T system (Philips, Best, the Netherlands). The multi-echo pCASL sequence is the same as we employed in our previous publication¹⁸², and we refer the reader to it for more details. Briefly: six separate sequences were acquired with LD/PLD = $1/0.5$, $1/1$, $1.5/1.5$, $2/2$, $3/2.5$, $3/4$ s, each using a multi-echo gradient-and-spin-echo (GRASE) readout with 8 TEs of 10+261×n ms (n

 $= 0-7$). For quantification, an M_0 image (same readout as the ASL sequences, but without labeling) was acquired with $TR = 10$ s and $TE = 10$ ms to ensure maximum recovery of the longitudinal magnetization of tissue. A high resolution T₁-weighted MP-RAGE image was acquired (TR/TE = $9.8/4.6$ ms, $0.875 \times 0.875 \times 1.2$ mm³ resolution (AP×RL×FH), scan time 5 min) for the estimation of tissue partial volumes. The total length of the scan session was approximately one hour. $\mathbf{11}$ $\mathbf{3}$

4.2.3 Data Analysis 4.2.3 Data Analysis **but only a voice exceeded** 30%, it was classified as α

The image analysis pipeline described below is shown schematically in figure 4.1. The image analysis pipeline described below is shown schematically in figure 4.1.

4.2.3.1 Image pre-processing

ASL control and label images were pair-wise subtracted to extract the ASL-signal at all LD/ PLDs and TEs. The T_1w image (high resolution) was segmented using SPM (6 tissue types) to compute the probability for GM, WM, and CSF at every voxel, which were employed as estimates for the PV. Three tissue masks were created from these maps with a tissue probability threshold of $>$ 30%; these masks were combined into one intracranial mask (i.e., if one or more of the 3 tissue probabilities for a voxel exceeded 30%, it was classified as part of the intracranial volume), to remove any background signal and the skull from the T_1w image. This "de-skulled" image was coregistered to the M_0 scan to transform it to the ASL space Γ (all ASL scans and M_0 have the same geometry and planning, and we assume no movement between them). Subsequently, the same transformation matrix was applied to the TPMs for GM, WM, and CSF, resulting in PV estimates for each tissue at every voxel in ASL space as input for the partial volume correction algorithm. ASL control and label images were pair-wise subtracted to extract the ASL-signal at all LD/ $\frac{1}{2}$ movement between them, subsequently, the same transformation $\frac{1}{2}$ ($\frac{1}{2}$) ability threshold of \geq 90%, these masks were combined into one in This "de-skulled" image was coregistered to the M_0 scan to

4*.2.3.2 ASL processing and removal of macrovascular signal* 4.2.3.2 ASL processing and removal of macrovascular signal

The in vivo ASL images were smoothed with a Gaussian kernel of 3×3 voxels and σ = 2 voxels before any data processing. Since the original PVC-algorithm does not include a macrovascular component, and neither does the simulated dataset, we opted to exclude macrovascular signal from in vivo data as much as possible by fitting the function:

$$
\Delta M = \Delta M_{Buxton} + \Delta M_{macro} \tag{Eq. 4.1}
$$

With:

$$
\Delta M_{macro} = \begin{cases} 2\alpha M_0 e^{-ATT/T1b} aBV, & \text{if } ATT \leq t < LD + ATT \\ 0, & \text{otherwise} \end{cases} \tag{Eq. 4.2}
$$

to the signal in the first echo using the MATLAB function lsqcurvefit, with ΔM_{Buxton} from the Buxton perfusion model⁹⁵. The arterial blood volume (aBV) was voxel-wise estimated using equation 4.1 and then removed from the original ASL signal. All M_0 values used for this

and subsequent analyses were an average over the gray matter (single value for each subject) divided by the blood/brain partition coefficient $\lambda = 0.98 \text{ ml/g}^{108}$.

Buxton perfusion model95. The arterial blood volume (aBV) was voxel-wise estimated using equation 4.1 and then removed from the original ASL signal. All M0 values used for this and

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4.2.3.3 Linear Regression Partial Volume Correction

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The linear regression (LR) PVC algorithm has been described in detail elsewhere¹⁷⁹. In The linear regression (LK) FVC algorithm has been described in detail elsewhere \therefore in
brief, the measured ASL signal for a certain LD/PLD at a given voxel r_i is a sum of contributions from individual tissue types: $\Delta M(r_i) = \sum_{j=1}^3 P_j(r_i) \cdot \Delta m_j(r_i)$, where P_j is a row vector containing the tissue type fractions of this voxel $(j = 1$ is GM, $j = 2$ for WM, and $j = 3$ for tissue type. This makes an underdetermined system with 3 unknowns (Δm_{GM} , Δm_{W} , Δm_{CSF}) and only one measurement. To solve this, we assume Δm_j is constant over a small kernel of n \times n voxels (in-plane) centered at r_i (represented as $\overline{\Delta m_j(r_t)}_j$) the equation becomes: $\Delta M(r_k)$ \sim if voxes (in-plane) centered at I_i (represented as $\Delta n_i(t_i)$) the equation becomes. $\Delta m_i(t_i)$
= $\sum_{j=1}^{3} P_{kj} \cdot \overline{\Delta m_j(t_i)}_j$ with $\Delta M(t_k)$ a column vector containing the n² signal values for all $\frac{1}{2}$ the $\frac{1}{2}$ $\frac{1}{2$ tissue types at each voxel in the kernel. For a kernel of 5×5 voxels in-plane, this results in a system of 25 equations for 3 unknowns, with the solution: CSF) as taken from the PVs, and $\Delta m_j(r_i)$ is a column vector of the signal intensities for each The linear regression (LR) PVC algorithm has been described in detail el voxels within the kernel, and P_{kj} a $n^2 \times 3$ matrix with the tissue probabilities for the three voi) as taken nom the 1 vs, and $\Delta n_{j}(i)$ is a column vector of the signal inter-
tissue type This makes an underdetermined system with 3 unknowns (∆m

$$
\overline{\Delta m} = (P^T \cdot P)^{-1} \cdot P^T \cdot \Delta M \tag{Eq. 4.3}
$$

Which gives an estimate of the pure GM, WM, and CSF signal at every voxel.

4.2.3.4 Estimating errors and differences in PVC results

 α and α estimate of the pure GM, and α signal at every voxel. was obtained by computing the relative difference (in percentage) between the PV-corrected T_{total} and T_{total} with and with and with and with and with and with T_{total} non-CSF-PVC was calculated in lieu of the error. The PVC-CBF was computed using both $\frac{1}{2}$ in the contract of s was employed with the equation found in 78 used for quantification; for multiple LD/PLD reported ASL perfusion parameter). In the simulation dataset, the error on the GM signal GM signal and the ground truth. This was done for PVC with (CSF-PVC) and without CSF (non-CSF-PVC), where CSF-signal is assumed to be zero. In the case of the in-vivo the effect on gray matter CBF (as it is bordering with CSF and is the most relevant and data, no ground truth is known, therefore the relative difference between CSF-PVC and To compare the results of PVC with and without the inclusion of CSF, we focused on time points, PVC was first applied to each LD/PLD dataset to extract pure GM ASL signal and subsequently this signal was fitted with a Buxton model to retrieve the CBF.

> To estimate the size of the effect of CSF signal as a function of GM probability, ROIs were created from the GM TPM for bins of 10% GM probability, i.e., the first ROI contains all voxels with GM_{prob} = 0-10%, the second GM_{prob} = 10-20%, etc. Since we are interested

specifically in the interaction between GM and CSF, all voxels that contained >30% WM were eliminated from these ROIs.

We also studied the effects of PVC in vivo in the choroid plexus specifically. A ROI was created by delineating the posterior part of the lateral ventricles in 3 slices where the choroid plexus is located, starting from a CSF mask with a low PV threshold of 30%. This ROI therefore contains both the CP itself and a margin of CSF that immediately surrounds it.

Finally, to determine whether CSF signal estimation from PVC could act as a surrogate for long-TE acquisitions to isolate pure CSF signal, PVC-CSF signal was averaged over an ROI of the subarachnoid space for each LD/PLD pair, and similarly the long-TE signal was averaged over the same ROI (summing the signal of the last three TEs, 1315-1837 ms). The time courses of these signals were plotted for comparison.

4.3 RESULTS

4.3.1 Results in the Simulated Dataset

The simulated data is shown in figure 4.2. In figure 4.2A, the time courses of the pure signal from each compartment (GM, WM and CSF) are given. These values are used to create the signal maps shown in figure 4.2B, which are contrasted to the in-vivo signal in one subject in 4.2C. We observe good visual agreement between these datasets. The signal maps from the simulated data were subsequently processed with both non-CSF-PVC and CSF-PVC. The relative error on the resulting GM signal compared to ground truth is shown in figure 4.3 (left and middle) as well as the error on the CSF signal (right) for a single slice intersecting the choroid plexus. A substantial error in non-CSF-PVC appears in some GM voxels surrounding the ventricles at the LD/PLD 1.5/1.5s time-point, and increases as CSF signal increases with longer LD/PLDs. The error is highest (reaching \sim 30%) in areas containing large amounts of CSF (ventricles, subarachnoid space) and when $T_{bl\rightarrow CSF}$ is shortest. When CSF is included in the PVC (middle), the error on the GM signal is largely resolved. The CSF signal error (right) is large in early time points, and, as we move toward longer timepoints, the signal is first strongly affected by noise levels, then becomes more stable, and the error is finally shown to be small and centered around zero. To average and compare this error, voxels were binned according to their GM probability. These ROIs are shown in figure 4.4A for a single slice. In figure 4.4B, the average error as a function of GM_{prob} ROI is shown for a single LD/PLD of 2/2s (closest to the recommended pCASL settings used in the clinic for perfusion imaging) and all $T_{bl}>_{CSF}$ values. Without CSF correction (colour, circle markers), the error consistently exceeds the error when CSF is included (black, triangle markers), but the difference decreases with increasing GM_{prob} , and for voxels with 90% GM

Figure 4.4. Average error on the GM signal in simulations. In A, the GMprob ROIs are shown for a single slice. In B, the average error for these ROIs is shown for a single time point and all Tbl- >CSF values, and in C, it is shown for all time points and a single Tbl->CSF value. The errors for non-CSF-PVC (colours, circle markers) are contrasted to the error when using CSF-PVC (black, triangle markers).

or more, the results are similar, with the error approaching 0. CSF-PVC yielded results that were very similar for all $T_{b!->CSF}$ values and $LDs/PLDs$, therefore we show only one curve instead of several overlapping curves.

In figure 4.4C, the same results are given, for a single $T_{\text{bl-SCSF}}$ value of 60s (the average value found in vivo) and all time points. For the two earliest time points, there is no improvement in using CSF-PVC, as the low CSF signal only introduces additional error due to the presence of noise in the absence of signal. For $LD/PLD = 1.5/1.5$, the effect of using CSF-PVC is mixed, as only voxels with less than 50% GM see an improvement in GM signal estimation. For $LD/PLD = 2/2s$ and higher, the reduction in error from using CSF-PVC is substantial and reaches up to 100%. Next, CBF was quantified from the partial volume corrected GM signal, first by using the single PLD equation given in the ASL white paper⁷⁸ for LD/PLD $= 2/2s$ (closest to the recommended pCASL implementation), and second by fitting the six time points (i.e. LD/PLD combinations) to a Buxton model. In figure 4.5A, error maps on the single-PLD CBF approach are shown for non-CSF-PVC and CSF-PVC. In certain areas of the brain, non-CSF PVC leads to overestimation of the CBF by as much as 15%. When CSF is included in the PVC algorithm, the error is much more uniform, but there is a slight underestimation of CBF across all voxels, as is typical for single-PLD CBF quantification. When averaging over GM probability bins (Figure 4.5B), these effects compete, leading to a smaller error in single-PLD CBF quantification with non-CSF-PVC than with multi-PLD CBF quantification with non-CSF-PVC (figure 4.5C). Even though, in both single-PLD and multi-PLD CBF, the error is consistently lower when using CSF-PVC than non-CSF-PVC, the improvement for single-PLD quantification is more limited. The error is lowest when using multi-PLD CBF quantification with CSF-PVC.

Next, CBF was quantified from the partial volume corrected GM signal, first by using the single PLD equation given in the ASL white paper⁷⁸ for LD/PLD = $2/2s$ (closest to the recommended pCASL implementation), and second by fitting the six time points (i.e. LD/ PLD combinations) to a Buxton model. In figure 4.5A, error maps on the single-PLD CBF approach are shown for non-CSF-PVC and CSF-PVC. In certain areas of the brain, non-CSF PVC leads to overestimation of the CBF by as much as 15%. When CSF is included in the PVC algorithm, the error is much more uniform, but there is a slight underestimation of CBF across all voxels, as is typical for single-PLD CBF quantification. When averaging over GM probability bins (Figure 4.5B), these effects compete, leading to a smaller error in single-PLD CBF quantification with non-CSF-PVC than with multi-PLD CBF quantification with non-CSF-PVC (figure 4.5C). Even though, in both single-PLD and multi-PLD CBF, the error is consistently lower when using CSF-PVC than non-CSF-PVC, the improvement for single-PLD quantification is more limited. The error is lowest when using multi-PLD CBF quantification with CSF-PVC.

Figure 4.5. Relative error on CBF quantification with two methods in the simulated dataset. In A and B, CBF was quantified with a single LD/PLD of 2/2s. Error is shown as maps (A) and averages over ROIs (in B and C, ROIs from figure 4.4A). In C, CBF is quantified by fitting signal from all time points to a Buxton model.

4.3.2 In Vivo Results

Figure 4.6 shows the results of the same procedure applied to in vivo data. In figure 4.6, PVC GM signal is contrasted for non-CSF-PVC (A) and CSF-PVC (B) . Although those values are similar, differences appear in areas that coincide with the presence of CSF such as the ventricles and subarachnoid space, where CSF-PVC GM signal is noticeably lower. The third row (C) shows the relative difference (absolute values) between the two methods. A small difference appears and is well distributed around the cortex, with small regions exhibiting peaks of \geq =15% difference in some regions of the subarachnoid space and around the choroid plexus in the ventricles. Finally, PVC ASL signal in the CSF is shown on the bottom row (D), with areas of higher CSF signal corresponding to areas of larger differences between CSF-PVC GM signal and non-CSF-PVC GM signal, as expected. Areas containing little to no CSF, like close to the white matter, display large, erroneous values for CSF signal, which can easily be explained by unstable and noise amplifying behaviour of the PVC-algorithm.

In figure 4.7B, the average difference between the GM signal obtained with CSF-PVC and non-CSF-PVC is plotted for ROIs corresponding to bins of GM_{prob} (shown in figure 4.7A

Figure 4.6. Maps of the results of PVC in vivo. A) shows the GM signal with non-CSF PVC, B the GM signal in CSF PVC and C the relative difference between the, for all LD/PLD pairs in a single slice. D shows the CSF signal obtained from PVC.

for a single subject), extracted in the same way as for the simulation data. These curves are averaged over all subjects (with error bars representing inter subject standard error of the mean). We see differences which are in excess of 10%, for voxels containing up to 70% GM, which is on the same order of magnitude as the error calculated in the simulated dataset. This suggests that correcting for the presence of CSF signal in PVC improves GM signal estimates by roughly 10%, fairly independently of LD and PLD. In the choroid plexus (figure 4.7C), this difference is more uniform across GM_{prob} bins, and it is larger than in the rest of the GM, on average exceeding 30%. The CP ROI contains much less voxels than the overall

Figure 4.7. Results of PVC in vivo for different GM_{prob} (or PV) bins. In A), the ROIs based on GMprob for a single subject are shown. In B), the average difference between CSF-PVC and non-CSF-PVC is plotted for ROIs based on GM_{prob} (group average $+/-$ standard error of the mean) for all time points. C shows the same results for the choroid plexus ROI in isolation.

Figure 4.8. Differences between CSF-PVC and non-CSF-PVC, averaged over all voxels of a GM ROI in a single slice high in the brain, and the choroid plexus ROI. The error bars represent the standard error of the mean over all subjects.

GM, therefore the variability across subjects is larger (leading to wider error bars). For direct comparison of the effect of CSF-PVC in the choroid plexus vs in the gray matter, figure 4.8 shows a bar graph of the average difference in the CP and GM ROIs. Whereas the average difference in the GM was around 10% and largely independent of LD and PLD, in the CP this difference is significantly higher, and varies with LD/PLD in a pattern resembling the time-course of the CSF signal, peaking at a difference of more than 40% for a LD/PLD of $3/2.5$ s.

Figure 4.9. Comparison of the pure CSF signal through time obtained with long-TE acquisitions (purple) to CSF signal calculated with PVC.

In Figure 4.9, we compare the time-course of the average PVC CSF signal in the subarachnoid space (green, left axis) to that of the average long-TE signal in the same ROI (purple, right axis). If PVC-CSF could be considered as an alternative approach to estimate the ASL-signal in the CSF, we would expect similar shapes for these two curves. However, it is evident that they are not. Indeed, the PVC CSF signal peaks much earlier and exhibits a fast decay afterwards, whereas the long-TE signal (which more accurately represents pure CSF) follows a slower upslope and later peak.

4.4 DISCUSSION

In this paper, we have investigated the effect of CSF signal on ASL partial volume correction, used to extract pure perfusion parameters for given tissue types, and compared the real CSF signal time course from long-TE acquisitions in vivo to the CSF signal extracted using PVC. Our main conclusions are that ASL-signal in the CSF may lead to errors in GM-CBF estimates of approximately 10% when CSF-signal is neglected in PVC, and that CSF-PVC cannot be used as an alternative to long-TE ASL experiments for measuring water transport across the BCSFB from traditional ASL-scans. The origin of these two seemingly conflicting conclusions will be the main topic of this Discussion.

First, using simulated and in vivo data, we show that errors on pure perfusion parameters are reduced when CSF is included in the PVC algorithm. In simulated data, the error on the pure GM signal (Figures 4.3 and 4.4) is largest in conditions where more CSF signal is present, including areas of the brain with large CSF pools, longer LD/PLDs, and shorter $T_{\text{bl-SCSF}}$ exchange times. These results are to be expected, as when CSF is excluded from PVC, the signal originating from this compartment is labeled as either GM or WM signal, and because of the close proximity of GM and CSF in the brain this will largely fall into the GM compartment. This effect will be most severe when more labeled spins are present in the CSF, i.e. for larger CSF partial volume, longer LD/PLD , and shorter $T_{bl\rightarrow CSF}$ (faster exchange of water from blood to CSF). This leads to systematic overestimation of pure GM signal in most GM-containing voxels, which is largely corrected by the inclusion of CSF in PVC. For the clinical ASL parameters of $LD/PLD = 2/2s$, the error is consistently lowered in CSF PVC for voxels with 90% GM or less. For earlier time points, this improvement is limited especially due to the fact that the CSF-ASL signal becomes small compared to the noise, and for longer time points, it is increased. This is especially visible in Figure 4.3, where large errors caused by noise are present in the PVC-CSF signal for short $LDs/PLDs$ and $long T_{bl-SCSF}$.

In vivo, the difference between non-CSF-PVC and CSF-PVC GM signal exceeds 10% in most voxels (Figure 4.7B), which is on the same order of magnitude as the improvement seen in simulations. Additionally, this same difference estimated in a ROI surrounding the CP (Figure 4.7C) is much larger, averaging approximately 30%. When looking at the whole ROI (Figure 4.8), the average difference in the GM is \sim 10% independent of LD and PLD, and in the CP it varies with LD/PLD between 10% (shorter LD/PLD) and 40% (longer LD/PLD). This leads us to conclude that including CSF in PVC to extract pure GM signal, which is a fairly straightforward extension of the traditional 2-component PVC technique, leads to more accurate estimates of GM signal, particularly in the choroid plexus, where the difference between these techniques is heightened. When studying CP perfusion difference in ageing, CSF-PVC will especially be important for proper interpretation¹⁸⁴. On the other hand, when quantifying CBF, other effects influence the PVC parameters. As seen in the simulation, multi-PLD CBF quantification with the Buxton model (Figure 4.5C) also benefits from reduced error when including CSF-signal, however, for single-PLD quantification (Figure 4.5A and B), the benefits are slightly more limited. This is because our single-PLD quantification underestimates slightly the true CBF, while non-CSF-PVC leads to overestimation. These effects compete to result in improvements in quantification which are smaller for single-PLD quantification than for multi-PLD, however, CBF estimates are always improved by CSF-PVC. We note that the increased accuracy of CBF quantification with single-PLD non-CSF-PVC compared to multi-PLD (i.e. comparing coloured lines in figure 4.5B vs 4.5C) is purely coincidental and not the result of a better quantification method.

Our second aim was to determine whether CSF signal can be accurately estimated from PVC, without the need for long-TE acquisitions to isolate the CSF-signal by taking advantage of the much longer $T₂$ of CSF. This would also have the added advantage that CSF signal and thus water transport measurements across the BCSFB could be extracted retroactively from existing ASL data, potentially providing more insight into brain clearance mechanisms. To determine this, we compared the time course of the CSF signal as measured in long-TE ASL (Figure 4.7, purple curve) to the PVC CSF signal (green curve). The difference between these curves is immediately apparent. CSF signal from PVC applied to the first echo time data displays an earlier peak followed by a quick decay of the signal. When this same comparison is done on the simulated data (not shown), the two curves exhibit much more similar behaviours than in vivo. This is because a key difference between our simulation and in vivo datasets is that macrovascular signal was not included in the simulation study. In vivo, ASL signal remains present in the arteries especially for the early time points, and the position of many of these arteries coincides with areas containing CSF¹⁸⁷. Segmentation of the arterial tree is not performed in this protocol, since anatomical differences between subjects are large and no standardized arterial probability map was available in SPM12. Since the PVC algorithm estimates the GM, WM, and CSF PVs in each voxel based purely on their relative volume fraction without including an arterial component, intravascular signal

can bleed into the other components and thereby overwhelms the actual CSF-ASL signal without additional information. We include a step in image preprocessing to remove this macrovascular component, aBV, by fitting the data to a perfusion model which includes this component, and then subtracting it from the original data. This method is effective at removing a large part of the macrovascular signal, but not all of it. We tried a number of techniques to more accurately estimate and remove this signal, for example by fitting the perfusion and macrovascular blood signal separately or together, as well as more aggressive techniques such as masking out all signal from the arteries (thresholding the first LD/PLD time point to create this arterial mask). In all of these cases, residual arterial signal could still be identified. We therefore conclude that unfortunately, CSF signal cannot be accurately quantified by employing PVC only. Other acquisition methods may be more effective in estimating and/or removing macrovascular signal, such as the use of crusher gradients in the imaging sequence, which physically removes intravascular blood signal before readout¹¹¹, or, alternatively, acquiring a higher number of short LD/PLD images to better sample the arrival of blood in the vasculature would lead to more accurate estimates of $aBV^{188,189}$.

The two principal findings of this study appear to show some disagreement. We show both that including CSF signal in PVC improves ASL quantification for GM perfusion parameters, and that the PVC CSF signal in vivo does not accurately represent pure CSF signal. However, in reality, these results are not contradictory and do point to the usefulness of implementing CSF-PVC. As stated above, we attribute the discordance to contamination of the CSF signal with macrovascular blood signal. The added freedom provided by the 3-component PVC algorithm results in two sources of signal (macrovascular and CSF) to become entangled as a result. Nevertheless, both of these contributions should not be attributed to GM when performing CBF quantification, and PVC should benefit from the inclusion of these components. Therefore, the CSF-PVC approach remains optimal, even though it does not limit its correction to CSF signal. This statement is also supported by simulation studies showing that the CSF-PVC approach results in improved GM-CBF measurements in the absence of macrovascular signal, and that in this case the CSF signal is also successfully isolated.

Moreover, our results show that the choroid plexus is particularly sensitive to PVC and that the inclusion of CSF signal in this correction will be crucial when measuring perfusion in this small brain region. As there is growing interest in brain clearance mechanisms, and specifically in CBF measurements in the choroid plexus, we believe the CSF-PVC method adds value and removes some bias from these measurements. This is true especially when looking at the glymphatic system in the aging brain. While it has been shown that CSF and perivascular space volume increase with age^{190–196}, and average GM CBF decreases^{70,197–200}, studies on the relationship between CSF flow, blood-CSF water exchange and age are more rare, often only done in animals, and sometimes lead to contradicting conclusions²⁰¹⁻²⁰⁶. CSF-

PVC may be a critical tool in disentangling the contributions from numerous effects which alter brain clearance mechanisms in the aging brain.

There are a number of limitations to this study that warrant discussion. Firstly, the correspondence between the in vivo and simulated datasets was not perfect. For one, the simulation data are obtained simply from multiplying the pure GM, WM, and CSF signals by their corresponding tissue probability maps, meaning that CSF signal appears in all CSF areas, and not only the ones where actual exchange is present. For example, there is signal in the frontal horns of the ventricles in the simulation, whereas this is not the case in vivo, as there is no choroid plexus in that region, and no other source of blood-to-CSF water exchange. In vivo, all the CSF signal, whether detected in the ventricles near the choroid plexus or near arteries within the subarachnoid space, is the result of exchange in the immediate vicinity of the signal, i.e. within the voxel, because of the short time frame of measurement (a few seconds of labeling and PLD) which does not allow for large-scale movement of the ASL-signal to spread through the CSF compartment by diffusion or flow. As we have already discussed, the simulation also did not include macrovascular blood signal, while the in vivo data did. This explains the surprising result that the order of magnitude $(\sim 10\%)$ of both the effect of CSF signal in PVC in simulations and the difference between CSF-PVC and non-CSF-PVC in vivo are so similar, when we show that these do not represent the same signal (i.e. purely CSF signal in simulations vs CSF + macrovascular signal contamination in vivo). In reality, our simulation overestimates the effect of CSF signal, because simulated maps assume CSF-ASL signal appears everywhere that CSF is present, while in vivo CSF signal only appears where exchange of water from blood to CSF occurs. Therefore, the overestimation of CSF signal in simulations appears to be on the same order of magnitude as the overestimation due to macrovascular contamination in vivo. Additionally, our simulation is a simplified model where only GM, WM, and CSF signals are present, so naturally the partial volume correction algorithm, which also assumes only three compartments, retrieves ground truth values with greater accuracy than it would in vivo, where other sources of signal and artefacts may be present. Finally, we noticed that the ROIs based on GM_{prob} differed between the simulation (Figure 4.4 A) and in vivo (Figure 4.6 B). In the latter case, the ROIs were much more skewed towards the extremes, either containing very little GM (0-10%) or a lot (90-100%), therefore the error/difference curves may not be entirely equivalent.

In the scope of this study, we investigated the effects of CSF only on linear regression PVC algorithms, however other more complex versions of PVC have also been developed, for example based on information from multi-PLD acquisitions and statistical models¹⁸⁰ or Look-Locker sequences²⁰⁷. It remains to be investigated whether these techniques would also benefit from including CSF signal, and if those models lead to better separation of the CSF and macrovascular blood signal.

4.5 CONCLUSION

Including CSF in PVC leads to an improvement in pure GM signal estimation of approximately 10%, with larger differences, reaching up to 40%, observed in the choroid plexus. This improvement carries over to multi-PLD CBF quantification, however for single-PLD CBF competing effects lead to more limited gains from CSF-PVC. We also show that PVC CSF signal is not a substitute for long-TE CSF signal, as it suffers from macrovascular blood signal contamination. We would therefore recommend the use of CSF-PVC, especially when measuring perfusion in the choroid plexus.

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