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## **Linking simple molecules to grain evolution across planet-forming disks**

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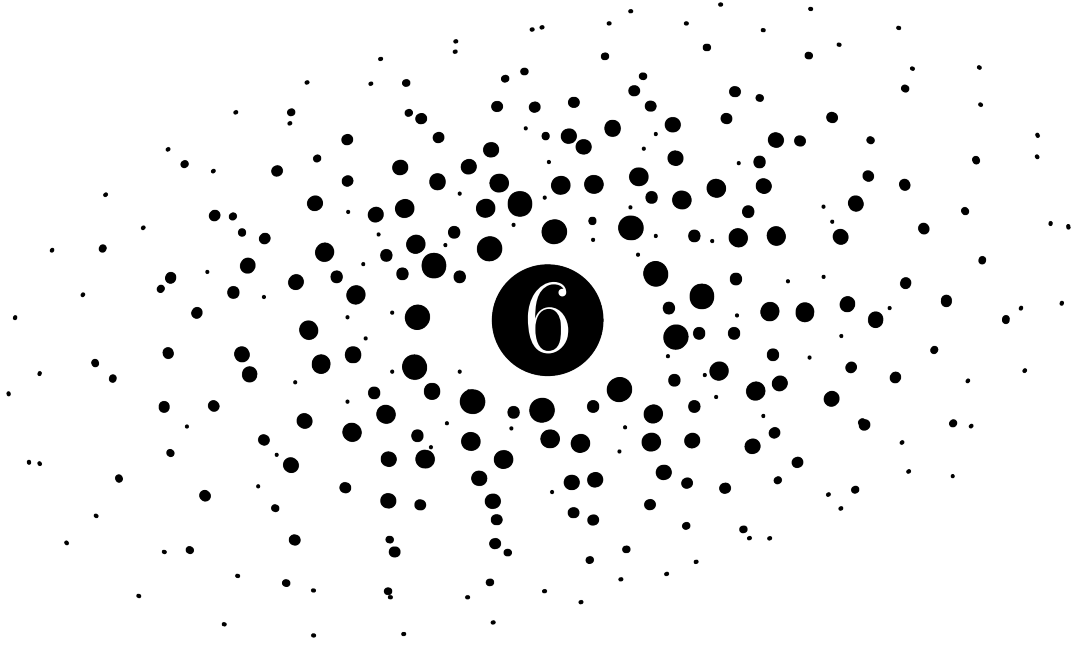
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# Exploring $\text{DCO}^+$ as a tracer of thermal inversion in the disk around the Herbig Ae star HD163296

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## 6.1 Introduction

$\text{DCO}^+$  is a good tracer of the deuterium fractionation and ionization fraction of low temperature environments (Favre et al. 2015; Millar et al. 1989). Detections of  $\text{DCO}^+$ , and other simple deuterated molecules, towards protoplanetary disks are present only in a handful of T Tauri disks (TW Hya (van Dishoeck et al. 2003), DM Tau (Guilloteau et al. 2006; Teague et al. 2015), AS 209, IM Lup V4046 Sgr and LkCa 15 (Öberg et al. 2010, 2011, 2015; Huang et al. 2017)) and in the disks around the Herbig Ae stars MWC 480 (Huang et al. 2017) and HD 163296 (Qi et al. 2008; Mathews et al. 2013; Qi et al. 2015; Yen et al. 2016; Salinas et al. 2017). High angular resolution observations of some of these disks have revealed a surprisingly complex radial structure. The chemistry involved in the gas-phase formation of  $\text{DCO}^+$  is thought to be well understood and has been previously studied in the ISM and in disks (Turner 2001; Willacy 2007; Roueff et al. 2013; Favre et al. 2015). In this paper, we attempt to determine whether our current understanding of the  $\text{DCO}^+$  chemistry is sufficient to reproduce the complex radial structure seen in protoplanetary disks, particularly in the disk surrounding the Herbig Ae star HD 163296.

$\text{DCO}^+$  forms in the gas phase through two different regimes: a low temperature deuteration (henceforth cold deuteration, CD) and a warm deuteration (henceforth warm deuteration, WD) channel. The CD and WD regimes are gradually enhanced at temperatures lower than  $\sim 30$  K and  $\sim 80$  K, respectively (Millar et al. 1989; Albertsson et al. 2013). This enhancement is a direct consequence of the lower zero-point vibrational energy of simple deuterated molecules in comparison to their non-deuterated counterparts. The origin of highly deuterated species, and of  $\text{DCO}^+$ , in the solar nebula can be attributed to in situ synthesis in the primordial disk or to being inherited from the interstellar medium (ISM). Deuterium is injected into the chemistry via ion-molecule reactions, and is kept active by the endothermic nature of the inverse reaction. For an effective enhancement of the deuterium fractionation ratio the environment must be cold (typically tens of degrees Kelvin), and ionized. In the dense shielded ISM, the ionization environment is mainly dominated by ultraviolet (UV) radiation from massive stars. In the cold outer regions of protoplanetary disks, where deuterium enrichment takes place, the ionization source comes from galactic cosmic rays (CRs) and to a lesser extent by radiation both from the host star and from external sources.

$\text{DCO}^+$  was proposed first as a good CO snowline tracer in protoplanetary disks (Mathews et al. 2013). Recent chemical models (including the WD channel) conducted by Favre et al. (2015) have proposed  $\text{DCO}^+$  as a good tracer of the ionization degree in the inner regions of planet-forming disks rather than the temperature structure and the CO snowline. The WD channel formation channel involves ionized simple hydrocarbons, unlike the CD involving  $\text{H}_2\text{D}^+$  which is highly reactive with CO. If the CD dominates the formation of  $\text{DCO}^+$  in disks then it can be used as an indirect tracer of the CO snowline because of its parent molecule,  $\text{H}_2\text{D}^+$ , is readily destroyed by CO in the gas-phase. The models of Favre et al. (2015) show that the WD channel enhances the column density of  $\text{DCO}^+$  by a factor of 5 in the warm regions of a T Tauri-like disk, where CO is still in the gas phase, and is responsible for the bulk of the abundance. Observations of significant emission of  $\text{DCO}^+$  in the inner parts of protoplanetary disks have been already reported (Qi et al. 2015; Huang et al. 2017). In particular, Salinas et al. (2017) have seen  $\text{DCO}^+$  extending from  $\sim 50$  AU to  $\sim 300$  AU in the disk surrounding the Herbig Ae star HD 163296.

HD 163296 has a massive ( $0.089 M_\odot$ ) inclined ( $44^\circ$ ) disk and its gaseous content, probed by  $^{12}\text{CO}$  emission, extends at least to  $\sim 500$  AU (Qi et al. 2013; Mathews et al. 2013). These attributes and its proximity (122 pc, van den Ancker et al. 1998) make it an excellent candidate to study both the radial and vertical distribution of deuterated species such as

DCO<sup>+</sup>. The disk has been observed in the millimeter regime revealing a distribution of mm-sized grains that extend up to  $\sim 230$  AU with multiple rings and gaps (Isella et al. 2016).

The DCO<sup>+</sup> radial distribution of the HD 163296 disk has been characterized by Salinas et al. (2017) using ALMA observations. The data are consistent with three regimes of different constant abundances defined by one inner radius at 50 AU and two breaks at 120 AU and 245 AU. They found that the first two regimes correlate well with the expected WD and CD channels traced by DCN and N<sub>2</sub>D<sup>+</sup>. The third regime correlates with the extent of the mm-size dust grains which hints at a local decrease of UV opacity allowing photodesorption of CO and consequent DCO<sup>+</sup> formation as proposed for the disk around IM Lup (Öberg et al. 2015). An interesting alternative to explain this excess DCO<sup>+</sup> emission is releasing CO through thermal desorption (Cleeves 2016). Dust grain evolution models by Facchini et al. (2017) have predicted a thermal inversion of the dust temperature as a direct consequence of radial drift and settling in the disk surrounding HD 163296 given low turbulence values.

Our main goal is to implement a simple chemical network for the CD channel and a parametrized WD channel, to reproduce both the location and the amount of the observed DCO<sup>+</sup> in HD163296. Specifically, we aim to constrain the relative contribution of the WD channel after taking into account the CD channel. We can also address the mechanisms that cause a decrease of DCO<sup>+</sup> inside  $\sim 50$  AU, the third ringlike feature at 245 AU and drop off at larger radii.

In Section 6.2 we briefly describe the data and explain our modeling strategy. Section 6.3 contains the results obtained from our different modeling approaches. Section 6.4 discusses the validity of these models and provides an interpretation for the models' parameters. Finally in section 6.5 we summarize our findings and conclusions.

## 6.2 Methods

### 6.2.1 Previous observation of HD 163296

This study uses data of DCO<sup>+</sup>  $J=3-2$  at 216.112 GHz in the disk surrounding the Herbig Ae star HD163296 ( $\alpha_{2000} = 17^{\text{h}}56^{\text{m}}51^{\text{s}}.21$ ,  $\delta_{2000} = -21^{\circ}57'22''.0$ ) obtained by the Atacama Large (sub-)Millimeter Array (ALMA) in Band 6 as a part of Cycle 2 on 2014 July 27-29 (project 2013.1.01268.S). The spectral resolution is 0.7 MHz corresponding to  $0.085 \text{ km s}^{-1}$  with respect to the rest frequency of the line. The  $uv$ -coverage of the data ranges from 20 to 630 k $\lambda$ .

The data were reduced as described by Salinas et al. (2017) and Carney et al. (2017). The DCO<sup>+</sup>  $J=3-2$  line was continuum subtracted in the visibility plane using a first-order polynomial fit and imaged using a Briggs weighting of 0.5. The resulting synthesized beam has dimensions of  $0''.53 \times 0''.42$  and is shown along with the obtained channel maps in Appendix 6.A. Salinas et al. (2017) use a Keplerian mask to obtain an integrated intensity map. A radial emission profile can be constructed by taking the average value of concentric ellipsoids, centered at the star, in the integrated intensity map. The resulting DCO<sup>+</sup> radial emission profile can be seen in Fig. 6.1. The observational analysis of Salinas et al. (2017) modeled DCO<sup>+</sup> as a three-region radial structure. They argue that these radial regions correspond roughly to the WD channel, the CD channel and a third unidentified regime at larger radii ( $\gtrsim 240$  AU). Their analysis treated each region independently and assumed that the bulk of the DCO<sup>+</sup> emission comes from the midplane. These assumptions do not impact their ability to constrain the regimes radially, but do not allow to constrain the contribution of the WD channel in the HD163296 disk. Whereas Salinas et al. (2017) only derived vertically

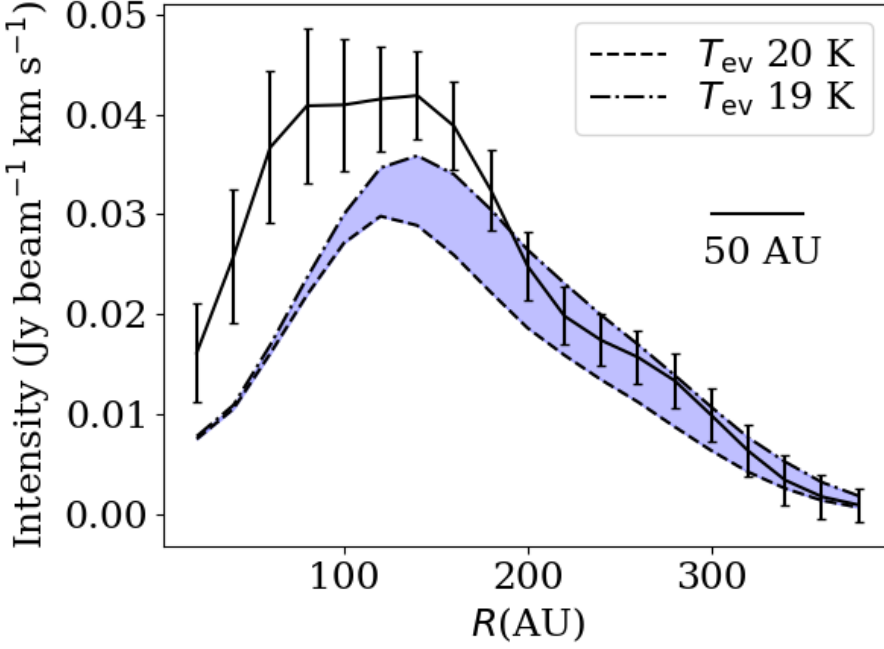
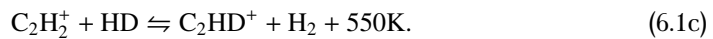
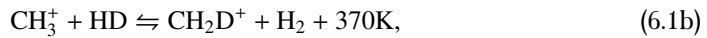
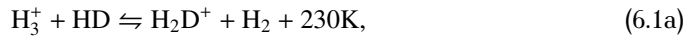


Figure 6.1: The black continuous line shows the observed  $\text{DCO}^+$  radial profile. These profiles are obtained by averaging the values of concentric ellipsoids of the integrated intensity maps. The error bars of the observed  $\text{DCO}^+$  radial profile corresponds to  $3\sigma$ , where  $\sigma$  is the standard deviation of the values contained in the ellipsoid divided by the square root of the number of beams. The 50 AU bar corresponds to the semi-minor axis of the synthesized beam and serves as a measure of the spatial resolution. The dashed lines show radial profiles of the emission from models with two different evaporation temperature of CO  $T_{\text{CO}}=19\text{-}20$  K and a constant abundance  $X_{\text{in}}=5.0\times 10^{-5}$

averaged  $\text{DCO}^+$  abundances, here we carry out fully 2D (radius and height) modeling of the chemistry. Because deuteration, and the formation of  $\text{DCO}^+$ , is a temperature dependent process, a vertical treatment of its abundance is needed in disks due to their strong vertical temperature gradient. For our analysis, we will assume that the WD channel remains active where the CD channel operates, but its contribution to the  $\text{DCO}^+$  emission in the outer regions of the disk is negligible. If this is the case, reproducing the emission at large radii alone can provide a constraint on the amount of  $\text{DCO}^+$  produced by the CD channel.

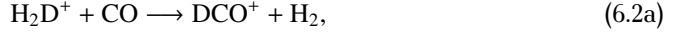
### 6.2.2 Chemical model

Deuterium is incorporated into the gas chemistry mainly through the following ion molecule reactions (Gerner et al. 2015; Turner 2001)

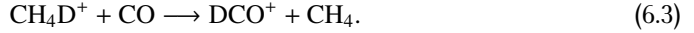


The right-to-left reactions of Equations 6.1a, 6.1b and 6.1c are endothermic and effectively enhance deuterium fractionation in low temperature environments. Equation 6.1a corresponds to the so-called CD channel and are active at temperatures ranging from 10-30 K (Millar et al. 1989; Albertsson et al. 2013). Eq. 6.1b and 6.1c, involving light hydrocarbons, correspond to the WD channel and is active at warmer temperatures ranging from 10-80 K.

$\text{DCO}^+$  is formed in the gas-phase involving both the CD and WD channels through the reactions (Watson 1976; Wootten 1987; Favre et al. 2015)



or with products of  $\text{CH}_2\text{D}^+$  such as  $\text{CH}_4\text{D}^+$



We will model the CD channel using a simple chemical network, in 2D, and regard the WD channel as a constant abundance ( $X_{\text{WD}}$ ) contribution that occurs at temperatures lower than an effective temperature ( $T_{\text{eff}}$ ). The  $\text{DCO}^+$  chemical network involving the CD channel can be boiled down to only ten chemical reactions. This system can be solved analytically as proposed by Murillo et al. (2015). We use their prescription and simplified chemical network of the CD channel and apply it to HD163296. The input parameters are: the gas density ( $n(\text{H}_2)$ ), the gas temperature ( $T_{\text{gas}}$ ), the CO gas abundance ( $X(\text{CO})$ ) and the HD gas abundance ( $X(\text{HD})$ ). The ionization rate ( $\zeta$ ) is constant throughout the disk and equal to  $1.3 \times 10^{-17} \text{ s}^{-1}$ . We underestimate the ionization fraction at large heights above the midplane because we consider cosmic-rays to be the only ionizing agents. The ortho to para ratio of  $\text{H}_2$  is considered to be in thermal equilibrium (LTE) and is approximated by the following expression,

$$\frac{o}{p} = 9 \exp\left(-\frac{170\text{K}}{T}\right). \quad (6.4)$$

We use a lower limit of  $10^{-3}$  at low temperatures as described in Murillo et al. (2015). They contrasted their results to a full chemical network including gas-grain balance (freeze-out, thermal desorption, and cosmic-ray-induced photodesorption) confirming the general trend found by the simplified network. The advantage of using this simple network over a full chemical calculation, is that it allows us to more easily investigate the dependency of the  $\text{DCO}^+$  emission on individual model characteristics. Detailed chemical modeling, including the reactions shown in Eq. 6.1b and 6.1c would be needed to further investigate the  $\text{DCO}^+$  radial distribution, but this is beyond the scope of this paper.

### 6.2.3 Implementation

We adopt the gas density and dust temperature from the physical model used by Mathews et al. (2013) as inputs for the simple chemical network described above. This parametric model is an approximation of the model used by Qi et al. (2011) which fits both the SED and their millimeter observations. The density structure is defined by

$$\Sigma_d(R) = \begin{cases} \Sigma_C \left(\frac{R}{R_c}\right)^{-1} \exp\left[-\left(\frac{R}{R_c}\right)\right] & \text{if } R \geq R_{\text{in}} \\ 0 & \text{if } R < R_{\text{in}}, \end{cases}$$

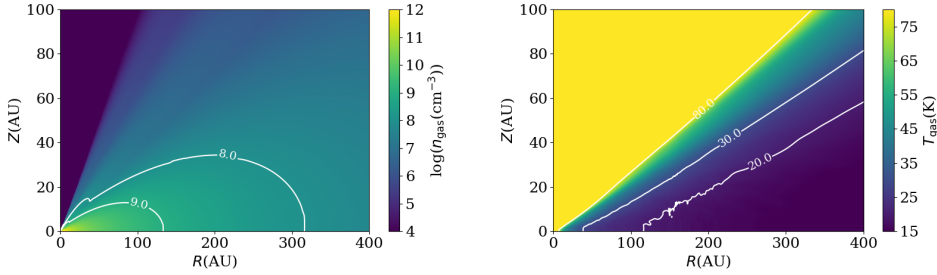


Figure 6.2: Visualization of the adopted physical model. The left panel shows the model density profile with white contours at  $10^8 \text{ cm}^{-3}$  and  $10^9 \text{ cm}^{-3}$ . The right panel shows the gas temperature structured clipped at 80 K to enhance the color gradient in the region of interest and white contours at 20, 30 and 80 K.

where  $\Sigma_C$  is determined by the total disk mass  $M_{\text{disk}}$  ( $0.089 M_{\odot}$ ),  $R_C$  (150 AU) is the characteristic radius and  $R_{\text{in}}$  (0.6 AU) is the inner rim of the disk. The vertical structure is treated as a Gaussian distribution with an angular scale height defined by

$$h(R) = h_C \left( \frac{R}{R_C} \right)^{\psi},$$

where  $\psi$  (0.066) is the flaring power of the disk and  $h_C$  is the angular scale height at the characteristic radius  $R_C$  that can take different values for the gas and the dust distribution (see appendix A; Mathews et al. 2013). The dust temperature profile was computed by the 2D radiative transfer code RADMC (Dullemond & Dominik 2004) and is shown in Fig. 6.2 along with the gas density profile.

In addition to the gas density and dust temperature structure, CO and HD abundance profiles are required as inputs for the simple chemical network. We use a CO abundance profile described by three parameters: an effective dust temperature where CO starts to evaporate and becomes optimal for  $\text{DCO}^+$  formation ( $T_{\text{CO}}$ ), and two constant abundances for gas-phase CO inside ( $X_{\text{low}}$ ) and outside ( $X_{\text{high}}$ ) the freeze-out zone. We set  $X_{\text{low}} = 0.01 X_{\text{high}}$  for all our models. We assume that the dust temperature ( $T_{\text{dust}}$ ) equals the gas temperature ( $T_{\text{gas}}$ ), which is a reasonable assumption in the dense regions that we focus on. We set the HD abundance, with respect to the nuclei density  $n_{\text{H}} = 2n_{\text{H}_2}$ , constant through the entire disk and equal to the cosmic D/H ratio  $\sim 10^{-5}$  (Vidal-Madjar 1991).

## 6.2.4 Radiative transfer

We used LIME (v1.5), a 3D radiative transfer code in non-LTE (Brinch & Hogerheijde 2010) to compare our  $\text{DCO}^+$  observations to the  $\text{DCO}^+$  abundance model obtained using the prescription described above. LIME can produce line and continuum radiation from a physical model, an abundance distribution and the rate coefficients for a given molecular transition. We use the rate coefficients from the Leiden Atomic and Molecular Database (Schöier et al. 2005)<sup>1</sup> for  $\text{DCO}^+$ . These are the same collision rates as those listed for  $\text{HCO}^+$  (Flower 1999). The Einstein A coefficients taken are from CDMS and JPL. We use a grid of 100000 points that are created applying a weighted random selection in  $R$  using a logarithmic scale. This weighted random selection favors denser gas regions and will

<sup>1</sup>[www.strw.leidenuniv.nl/moldata/](http://www.strw.leidenuniv.nl/moldata/)



always select a random point where the  $\text{DCO}^+$  abundance of the model is higher than  $10^{-15}$ . Establishing a convergence criteria on encompassing all of the grid points is difficult. We manually set the number of iterations to 20 and confirm convergence by comparing consecutive iterations.

The resulting model cube is continuum subtracted using the first channel as a continuum estimator. Then, each spectral plane of the model is convolved with the synthesized beam of the  $\text{DCO}^+$  data cube. This is equivalent to simulate the visibilities from a sky model since the  $uv$ -space is well sampled (see the result in Appendix 6.A).

## 6.3 Results

### 6.3.1 Standard model (CD)

We chose a standard CO abundance model with a constant abundance  $X_{\text{high}}=5.0 \times 10^{-5}$  at temperatures above an evaporation temperature of  $T_{\text{CO}}=19$  K. This evaporation temperature corresponds to  $\sim 150$  AU at the midplane in our adopted temperature structure and correlates well with the second emission ring thought to be produced by the CD channel (Salinas et al. 2017). The adopted CO abundance is similar to previous models of CO isotopologues (Qi et al. 2015; Carney et al. 2017). We also include a radial cut off at 300 AU where the  $\text{DCO}^+$  abundance drops to zero because the emission disappears at  $\sim 300$  AU. We further discuss this value in Sec. 6.4.1.

The resulting  $\text{DCO}^+ J=3-2$  emission radial profile for the standard model is shown in Fig. 6.1. The figure also shows our standard model with  $T_{\text{CO}}=20$  K keeping  $X_{\text{high}}$  at the same value to illustrate the model dependency on this parameter. Note that by changing the CO abundance the model is capable of compensating the difference in evaporation temperature because these two parameters are degenerate. A higher CO abundance will produce less  $\text{DCO}^+$ , due to the competition of reactions  $\text{CO} + \text{H}_3$  and  $\text{HD} + \text{H}_3^+$ , and vice versa. The adopted CO abundance of  $5 \times 10^{-5}$  correspond to a moderate carbon depletion consistent with other warmer disks such as HD100546 (Kama et al. 2016).

We can obtain an estimate of the emission contribution from the WD channel subtracting the standard model from the data. We perform a channel by channel subtraction from the data cube and the convolved model cube to calculate a residual cube (see example in Appendix 6.A). Figure 6.3 shows the residual radial curve from the standard models with  $T_{\text{CO}} = 19$  K and  $T_{\text{CO}} = 20$  K and their correspondent abundance estimate. The residual radial profile is obtained applying a Keplerian mask (see Appendix in Salinas et al. 2017) to the residual cube and each of the radial bins correspond to concentric ellipsoids projected to be equidistant to the central star. At  $R \gtrsim 180$  AU we can only provide an upper limit of about a few  $10^{-12}$ . At  $R \lesssim 180$  AU the abundance is a few  $10^{-13}$  and starts declining at  $\sim 50$  AU.

The radial abundance estimate is calculated assuming LTE and that the emission is optically thin. If we regard the emission as coming from an isothermal medium in LTE we can calculate the correspondent column density at different radii assuming an excitation temperature by using the analytical formula of Remijan et al. (2003). This 1D analysis was previously performed by Salinas et al. (2017) and we use the same prescription and excitation temperature profile for  $\text{DCO}^+$ . Finally, we divide the column density estimate by the surface density profile in Eq. 6.2.3 to get a vertically averaged abundance. The radial abundance profile only provides a lower limit to the actual  $\text{DCO}^+$  because it emits from a layer set by the activation temperature of the CD and WD channel and the CO evaporation temperature constraining its vertical extent. The simple chemical model of the CD channel

can reproduce the  $\text{DCO}^+$  emission in the disk around HD163296 at large radii ( $R > 180$  AU), but requires additional  $\text{DCO}^+$ , of a few  $10^{-12}$  in abundance, to account for the inner emission produced by the WD channel and a radial cut-off at  $\sim 300$  AU.

### 6.3.2 Thermal inversion model (CD+TI)

The standard model uses a radial cutoff to suppress the emission of  $\text{DCO}^+$  in the outer disk, but a thermal inversion (TI) could prevent the CD channel from being active (Cleeves 2016). Temperatures higher than the activation barrier for the CD (and WD) channel would prevent the reactions shown in Eq. 6.1a and 6.1b, reducing  $\text{DCO}^+$  formation. A thermal inversion is produced by the dust evolution modeling of Facchini et al. (2017) as a direct consequence of grain growth and settling. Considering both processes results in a radial decrease of the scale height of the dust because the turbulence is less capable of stirring up the grains that are decoupled from the gas in regions with low density. This leads to a radial temperature drop. At larger radii, where almost all of the big grains have migrated inward, the small dust is stirred back to the disk surface, out of the shadow cast in intermediate radii, intercepting more radiation.

We modify the temperature structure of our standard model to mimic this effect using the following parametrization

$$T'(R) = 25K \left( 1 - \exp \left( -\frac{R - R_1}{R_2 - R_1} \right)^2 \right) + T(R), \quad (6.5)$$

where  $R_1 = 240$  AU is the inflection point at which the TI occurs and  $R_2 = 300$  AU a characteristic radius. We choose these values so that the temperature at  $\sim 290$  AU reaches  $>30$  K and effectively blocks the CD channel. We also use a CO abundance parameter of  $X_{\text{high}}=2.0 \times 10^{-7}$ , keeping  $T_{\text{CO}}$  at 19 K, to better match the shape of  $\text{DCO}^+$  at larger radii. This value is much lower than the  $5 \times 10^{-5}$  of the fiducial model.

The adopted simple chemical network reaches a maximum in  $\text{DCO}^+$  production for CO abundances of  $1 \times 10^{-5}$ . Higher values result in lower  $\text{DCO}^+$  abundances because the gas-phase CO abundance surpasses the assumed HD abundance blocking its reaction with  $\text{H}_3^+$  (Eq. 6.1a). Similarly, lower values than  $1 \times 10^{-5}$  result in lower  $\text{DCO}^+$  abundances because CO in the gas-phase is required for Eq. 6.2a to proceed. If the gradient of the CO abundance is steep and smaller or comparable to our resolution, we can think of the  $X_{\text{high}}$  parameter of our simple step abundance model as an effective CO abundance that accounts for the production gradient of  $\text{DCO}^+$ . The thermal inversion parametrization region in our model has a steep temperature gradient that results in a steep second desorption front of CO in the midplane, at  $\sim 240$ -300 AU, comparable in size to our resolution. Our preferred value of  $X_{\text{high}}=2.0 \times 10^{-7}$  is an effective CO abundance that reproduces the  $\text{DCO}^+$  emission for such a steep gradient.

The first CO desorption front occurs much further in. Our CD+TI model places this desorption front at about  $\sim 150$  AU, corresponding to a temperature of  $\sim 19$  K in our adopted model, where the CO starts to evaporate with modest abundances of  $\sim 2 \times 10^{-7}$ . Observations of  $\text{C}^{18}\text{O}$  and  $\text{N}_2\text{H}^+$  place the CO snowline at  $\sim 90$  AU (Qi et al. 2015), corresponding to a temperature of  $\sim 22$  K in our adopted model, where the bulk of CO is released into the gas-phase with abundances of  $\sim 5 \times 10^{-5}$ . Coincidentally, CO abundances of  $\sim 5 \times 10^{-5}$  and  $\sim 2 \times 10^{-7}$  produce the same amount of  $\text{DCO}^+$  at temperatures where the CD channel operates. This explains why in Sec.6.3.1 the CD model reproduces the  $\text{DCO}^+$  emission with a CO abundance of  $\sim 5 \times 10^{-5}$  and a desorption front at  $\sim 150$  AU. We find that to reconcile the CO snowline location at 90 AU, with an abundance of  $5 \times 10^{-5}$ , and the observed  $\text{DCO}^+$

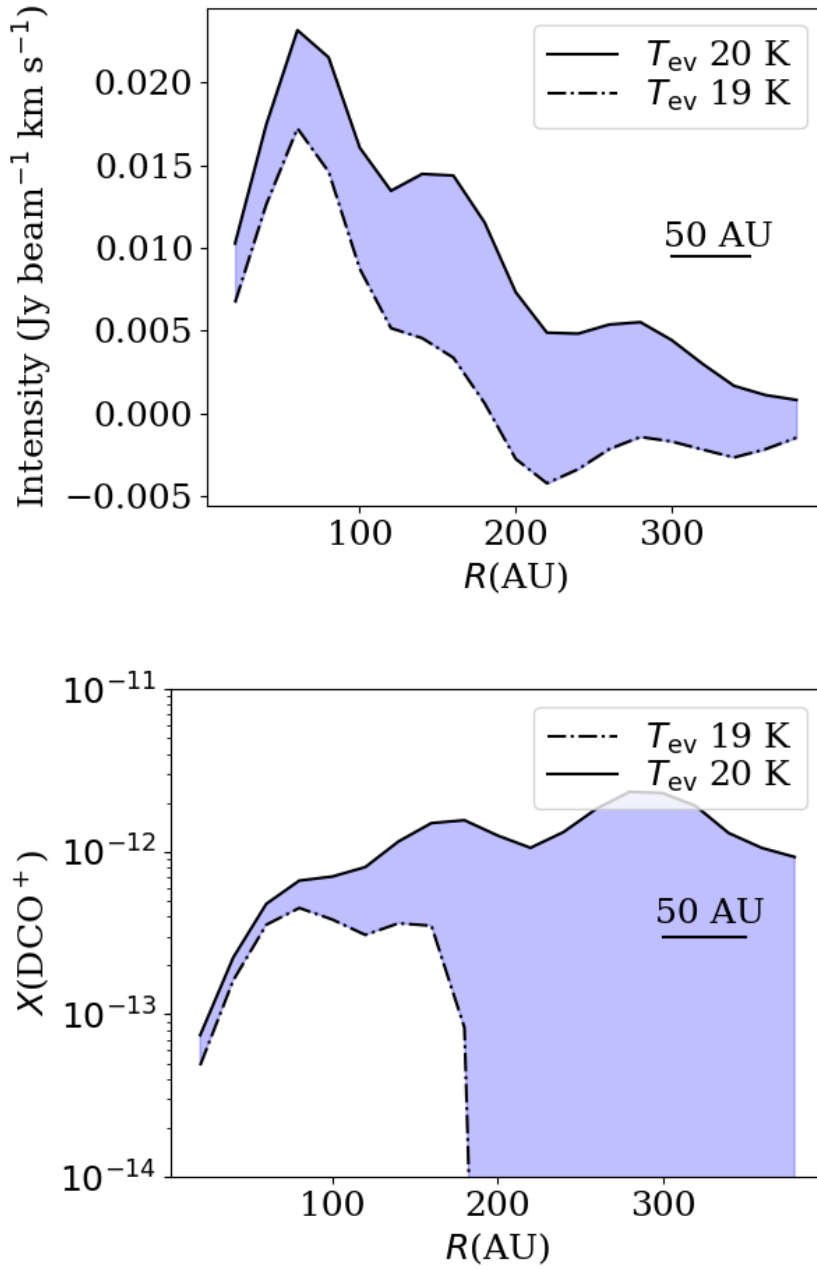


Figure 6.3: The top panel shows the residual radial profiles from the models shown in Fig. 6.1 with an evaporation temperature of CO  $T_{\text{CO}}=19\text{K}-20\text{K}$  and a constant abundance  $X_{\text{in}}=5.0 \times 10^{-5}$ . The bottom panel shows a vertically averaged abundance estimate of the radial curves of the top panel using the same excitation temperature profile and prescription proposed by Salinas et al. (2017) to convert emission to column densities. The 50 AU bar corresponds to the semi-minor axis of the synthesized beam and serves as a measure of the spatial resolution.

emission our CO abundance profile requires a zone between 90 AU and 150 AU with an effective abundance of  $2 \times 10^{-7}$  which we interpret as the onset of the thermal release of CO into the gas-phase.

The resulting DCO<sup>+</sup> abundance, gas density and emission profile are shown in the middle panels of Fig. 6.4. DCO<sup>+</sup> is confined between 30 K and 19 K, corresponding to the temperature where the CD channel starts to be efficient and to the temperature where CO freeze out passes 99% respectively. The DCO<sup>+</sup> abundance increases radially as a consequence of the radial increase of the ionization fraction which is  $\propto \frac{1}{\sqrt{n}}$  if the ionization rate  $\zeta$  is constant. The thermal inversion parametrization of this model, coupled with the simple chemical network for CD channel, can reproduce the radial shape of the DCO<sup>+</sup> in the disk around HD163296 at  $R > 180$  AU and the lack of emission at  $R > 300$  AU.

### 6.3.3 The CD+WD+TI model

Finally, we add a WD channel component to our CD+TI model by modifying the obtained DCO<sup>+</sup> abundance in the following parametrization

$$X_{\text{DCO}^+}(r, t) = \begin{cases} X_{\text{CD+TI}}(r, t) + X_{\text{WD}} & \text{if } T(r, t) \leq T_{\text{eff}} \\ X_{\text{CD+TI}}(r, t) & \text{if } T(r, t) > T_{\text{eff}} \end{cases}, \quad (6.6)$$

where  $X_{\text{WD}}$  is a constant abundance parameter describing the WD channel contribution and  $T_{\text{eff}}$  the effective temperature for the WD channel at which the WD channel switches on. The  $T_{\text{eff}}$  is not the temperature where WD starts to operate (which is 80 K), but rather where reaches its full effectiveness. Just like the CD channel, the WD channel does not switch on abruptly, but gradually increases toward lower temperatures. The right column of Fig. 6.4 show the modified DCO<sup>+</sup> abundance, temperature and emission profile of the CD+WD+TI model using  $X_{\text{WD}} = 3.2 \times 10^{-12}$  and  $T_{\text{eff}} = 32$  K and the parameters from the CD+TI model. These values are taken to match the inner DCO<sup>+</sup> emission at  $R \lesssim 150$  AU. Note that the parameter  $T_{\text{eff}} = 32$  K is tracing the location of an effective isothermal surface where WD starts to operate. This location is effectively constrained from the data and corresponds to  $\sim 40$  AU in the midplane. The exact value of the parameter  $T_{\text{eff}}$  cannot be constrained without a gas temperature model and only represents the location of the isothermal surface. On the other hand, the  $X_{\text{WD}}$  parameter is much better constrained by our modelling because it does not depend strongly on the assumed gas temperature. The CD+WD+TI model reproduces simultaneously the inner and outer features of the DCO<sup>+</sup> radial profile. The residual (and model) channel maps can be seen in Appendix 6.A.

For comparison, the left column of Fig. 6.4 shows the DCO<sup>+</sup> abundance, temperature and emission profile of model CD. The emission profile of model CD does not include the radial cut off of our standard model. This radial cut off is shown as a hatched region in the DCO<sup>+</sup> abundance profile of model CD. Without reducing the amount DCO<sup>+</sup> at larger radii the CD channel alone overproduces the observed emission. The CD+WD+TI model effectively reproduces the DCO<sup>+</sup> radial emission profile, at large and small radii, of the disk around HD163296 including the lack of emission at  $R > 300$  AU.

## 6.4 Discussion

### 6.4.1 DCO<sup>+</sup> Outer radius

Our standard model uses a radial cutoff in the DCO<sup>+</sup> abundance to reproduce the absence in DCO<sup>+</sup> emission at  $R \gtrsim 300$  AU. In this section we discuss several possibilities to explain

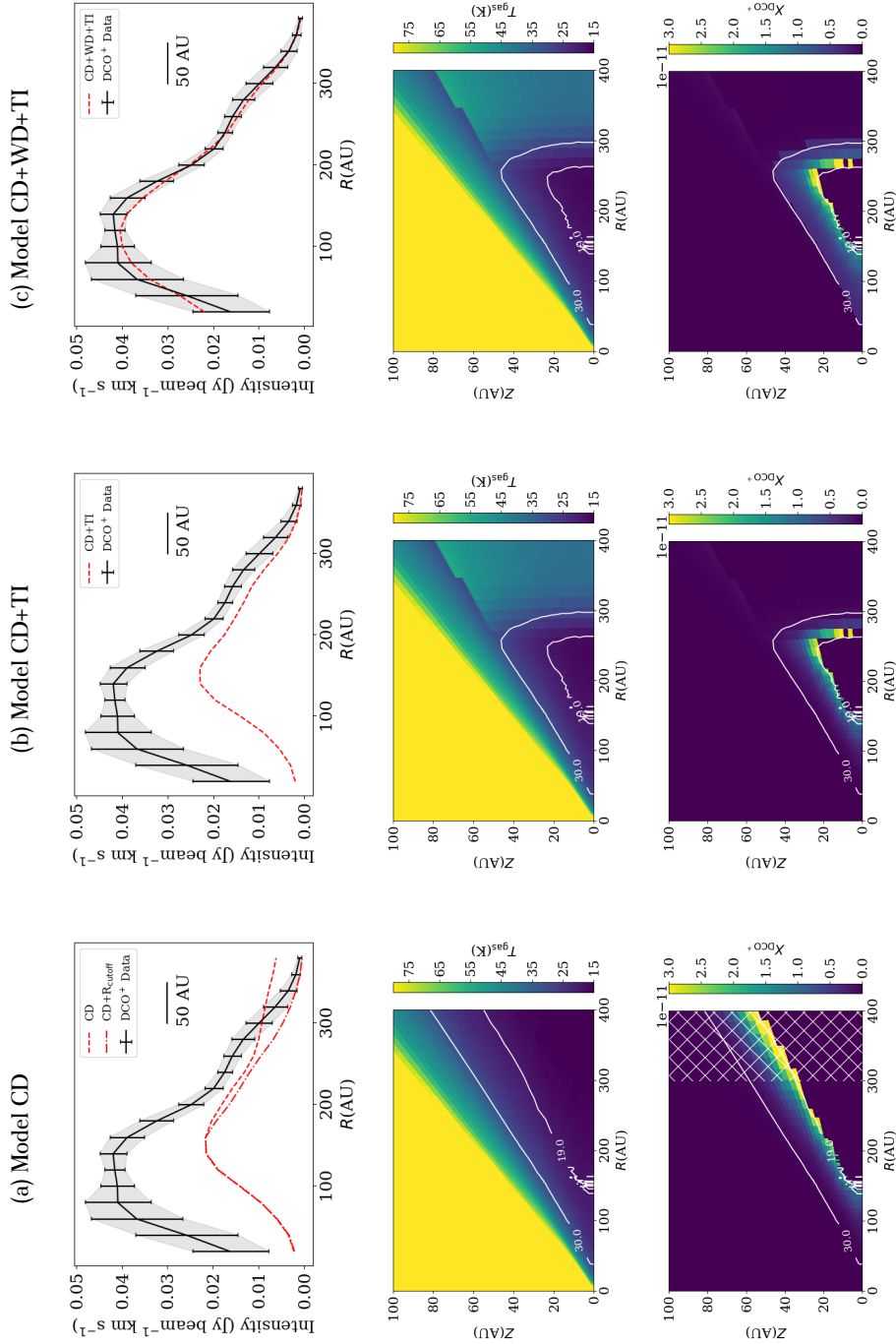


Figure 6.4: The top panels show the resulting radial profile of the DCO<sup>+</sup> integrated intensity map of both models and data. The error bars on the data corresponds to 3 $\sigma$ , where  $\sigma$  is calculated as the standard deviation of a single ellipsoid divided by the square root of the number of beams. The middle panels show the models' temperature profile with contours at 19 and 30 K. The bottom panel shows the DCO<sup>+</sup> abundance profile over-plotted with temperature contours at 19 and 30 K. The hatched region in the DCO<sup>+</sup> abundance from model CD marks the radial cut off used in our standard model to reproduce the absence of emission at R > 300 AU.

such a drop, namely: a drop in total gas density, a local increase in the o/p ratio of  $\text{H}_2$ , photodesorption or thermal desorption of CO and photodissociation.

First, the emission drop could be the consequence of a drop in total gas density. Observations of CO isotopologues at very high angular resolution (Isella et al. 2016) show that the  $^{12}\text{CO}$ ,  $^{13}\text{CO}$  and  $\text{C}^{18}\text{O}$  emission abruptly diminish at different radii;  $\sim 630$  AU,  $\sim 510$  AU and  $\sim 360$  AU respectively. If  $\text{C}^{18}\text{O}$  (the least abundant CO isotopologue) is tracing the total gas density, the radial cutoff of  $\text{DCO}^+$  might be due to a lack of total gas density at a similar radius at which the  $\text{C}^{18}\text{O}$  emission drops. However, isotope selective dissociation of  $\text{C}^{18}\text{O}$  is a more likely explanation of its drop off at 360 AU (Miotello et al. 2014; Visser et al. 2009). If we adopt a plausible model of the CO column density profile, such as the one obtained by Facchini et al. (2017) (left panel of their Fig.8), the column density of  $\text{C}^{18}\text{O}$  at  $R \gtrsim 360$  AU is not high enough to self-shield from UV radiation assuming the canonical ISM  $\text{C}^{18}\text{O}/^{12}\text{CO}$  ratio of 550. This would be consistent with the different radii at which the emission of  $^{12}\text{CO}$ ,  $^{13}\text{CO}$  and  $\text{C}^{18}\text{O}$  drop. It is therefore unlikely that the drop off of  $\text{DCO}^+$  is due to an overall drop in gas surface density.

A second explanation comes from the difference in the zero-point energies of ortho and para  $\text{H}_2$ . Since o- $\text{H}_2$  has more energy than p- $\text{H}_2$ , the endothermic reaction that introduces deuterium via the latter has a lower energy barrier than the former, enhancing the deuterium fractionation more efficiently at cold temperatures for a thermal o/p ratio of  $\text{H}_2$ . This means that a local increase in the o/p ratio of  $\text{H}_2$  could result in a drop of  $\text{DCO}^+$  abundance. However, it is unclear why  $\text{H}_2$  would have a spin temperature much higher (80 K) than the region where  $\text{DCO}^+$  forms ( $< 30$  K).

Thirdly, desorption of CO at large radii, either thermally or through photodesorption, can raise the CO abundance above the value where the formation of  $\text{DCO}^+$  is quenched. The distinctive feature at  $\sim 260$  AU, where the  $\text{DCO}^+$  emission shows a 'bump', is a natural consequence of this. Both in a model with a thermal inversion and in a model with increased photodesorption through increased UV penetration, the layer of  $\text{DCO}^+$  folds back to the midplane. Increased excitation and column density lead to a maximum in emission. The presence of this 'bump', in our data, therefore strongly supports this scenario. Small scale structures in CO abundance, gas temperature or  $\text{H}_2$  o/p ratio could also produce the observed emission excess at 250 AU, but not as naturally as a thermal inversion. An extreme case of this scenario can also explain the  $\text{DCO}^+$  emission rings seen in other disks such as IM Lup (Öberg et al. 2015). If the inflection point of the temperature profile occurs at large heights, at low gas densities, the emission could hide below the noise level and come back again at larger radii where the  $\text{DCO}^+$  comes back to the midplane. This would give the illusion of two  $\text{DCO}^+$  rings at low sensitivities.

The shape of our modified temperature profile resembles qualitatively the models of Facchini et al. (2017) but their results are heavily model dependent, in particular to the turbulent parameter  $\alpha$ . The thermal inversion effect is most pronounced at lower alpha parameters ( $10^{-3}$ - $10^{-4}$ ). The temperature inversion in these models is smoother than our proposed parametrization. The CO ice in their models is confined from  $\sim 200$  to  $\sim 400$  AU, with  $\alpha = 10^{-4}$ , whereas our models confine CO ice from  $\sim 150$  AU to  $\sim 260$  AU. A different temperature structure with a slightly hotter disk could also shape the CO ice region differently. Our constraining CD+WD+TI model applied to the  $\text{DCO}^+$  data reveals the location of the thermal inversion and the temperature structure at large radii.

Instead of thermal desorption, photodesorption of CO by increased UV penetration can yield a similar cutoff to the  $\text{DCO}^+$  emission profile. This has been invoked for the  $\text{DCO}^+$  ring seen in IM Lup and full chemical models, of typical disks around T Tauri stars, show that this is a plausible scenario (Öberg et al. 2015). Our modeling cannot distinguish this

from thermal desorption. Additional observations are needed, either constraining the temperature (e.g via multiple transitions of the rotational lines of optically thin species such as  $\text{H}_2\text{CO}$  (Carney et al. 2017)), or through UV tracers and/or modeling of the dust. Both thermal and photodesorption could be occurring, potentially creating even more complex structures.

Finally, a higher electron density at radii  $R > 300$  AU cannot significantly destroy  $\text{DCO}^+$  resulting in the observed absence of emission. If no thermal inversion is invoked and CO remains in the gas-phase above 19 K (model CD), the required ionization rate to completely quench the  $\text{DCO}^+$  production at  $R > 300$  AU is at least 8 orders of magnitude higher than the assumed canonical value of  $1.36 \times 10^{-17} \text{ s}^{-1}$ . This implies an electron abundance of a few  $10^{-4}$  much higher than expected for the warm molecular layer.

## 6.4.2 Low vs high temperature deuteration pathways

Our preferred CD+WD+TI model uses a constant abundance  $X_{\text{WD}} = 3.2 \times 10^{-12}$  and an effective temperature of  $T_{\text{eff}} = 32$  K to parametrize the contribution and onset of the WD channel. From Fig. 6.4 the abundance of model CD is about  $1.2 \times 10^{-11}$  at larger radii corresponding to a ratio between the  $\text{DCO}^+$  column densities produced by the WD and the CD channel of 0.2. This ratio agrees well with the detailed chemical modeling of Favre et al. (2015) which is on average about 0.25 outside the CO snowline. Since the amount of  $\text{DCO}^+$  produced by the CD channel depends on the CO abundance, an appropriate CO gradient can maximize the  $\text{DCO}^+$  produced via the CD channel and minimize the contribution of the WD channel to  $\sim 10\%$ . This limit is only slightly lower than the 20% found by our CD+WD+TI model, which is therefore a robust number. The adopted  $T_{\text{eff}}$ , where the WD channel is fully operative, is effectively defined by the innermost drop off of the  $\text{DCO}^+$  emission. Provided that the contribution of the WD channel can be constrained,  $\text{DCO}^+$  can trace the temperature structure and CO snowline of a protoplanetary disk through their CD channel formation pathway.

## 6.5 Summary

In this work, we implemented a simple chemical network for cold deuteration and a parametrized treatment of warm deuteration, and carry out a 2D modeling of the  $\text{DCO}^+$  emission in the disk around HD163296. The following points summarize the conclusions of this work:

- We found that a simple chemical model of the CD channel using a CO constant abundance of  $2.0 \times 10^{-7}$ , above an effective dust temperature of 19 K where CO starts to evaporate, coupled with thermal inversion at around  $\sim 260$  AU can reproduce the  $\text{DCO}^+$  emission in the outer regions of the disk surrounding HD163296.
- In addition, modeling the contribution of the WD channel with constant abundance of  $3.2 \times 10^{-12}$  and an effective temperature of 32 K, describing an isothermal surface corresponding to a midplane radius of  $\sim 40$  AU, reproduces the  $\text{DCO}^+$  emission in the inner disk where the CD channel is not yet active. The ratio of the amount of  $\text{DCO}^+$  produced by the WD and CD channels outside the CO snowline in this model is 0.2, consistent with previous full chemical models of  $\text{DCO}^+$ .
- With the CD channel tracing the CO abundance at  $2.0 \times 10^{-7}$  for radii  $< 150$  AU,  $\text{DCO}^+$  is a tracer of the onset of CO evaporation. The bulk of the evaporation of CO occurs

at radii  $< 90$  AU, where temperatures are too high for the CD channel to be efficient. This opens possibilities to probe the binding energy of CO ice and its evaporation process.

- We conclude that the formation and destruction mechanisms of  $\text{DCO}^+$  are very temperature sensitive, both through the efficiency of the CD channel and the CO abundance. With proper treatment of the  $\text{DCO}^+$  production through the WD channel,  $\text{DCO}^+$  can be used as tracer of the location of the CO snowline and the temperature structure, and specifically its gradient, at the outer disk.

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## 6.A Residual channel maps

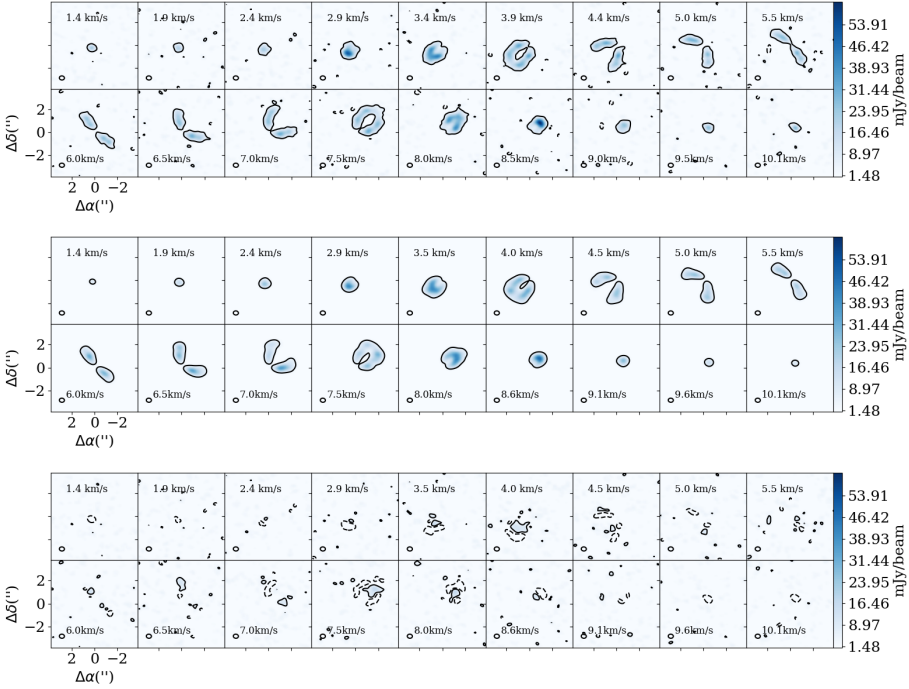


Figure 6.5: Top panel shows the  $\text{DCO}^+ J=3-2$  data channel maps. The middle panel map shows the CD+WD+TI model. The bottom panel shows the residual channels. Contours are  $3\sigma$ , where  $\sigma$  corresponds to the standard deviation of a line free channel. The channel maps presented here are binned in velocity to enhance signal to noise.

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