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## **Unbounded-rate Markov decision processes : structural properties via a parametrisation approach**

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### **Citation**

Blok, H. (2016, June 23). *Unbounded-rate Markov decision processes : structural properties via a parametrisation approach*. Retrieved from <https://hdl.handle.net/1887/41293>

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**Issue Date:** 2016-06-23

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